

# ENGINEERING EXPERIENCE 4

## MEASUREMENTS AND CALCULATIONS REPORT

Team 11

PHOENIX



---

# Phoenix

EE4 Small Solar Vehicle - Team 11

---

Weiwei Xu  
Bram Govaerts  
Jonas De Beckker  
Michiel Wante  
Spaas Maxime  
Song Yan  
Tao Yang  
Xiao Zhou

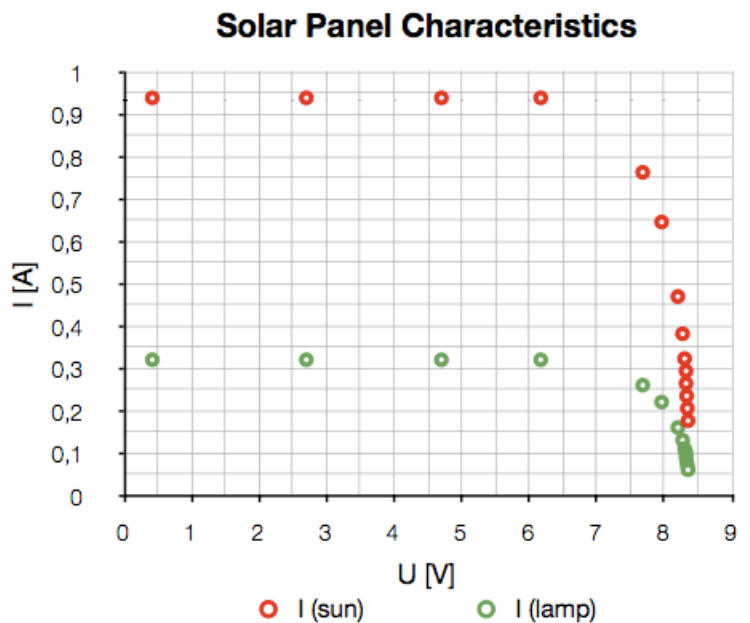
# Solar panel

The solar panel is the energy source of the solar car. Having a basic knowledge of the solar panel help us make a better solar car. We can not measure the behavior of the solar panel under racing condition, so we just calculate the m value of it to predict how it will perform.

We connected a voltmeter ,an ammeter and a variable resistance to the solar panel. We placed the solar against a fixed lamp and adjusted the resistance.

Measurements we kept

	Measurements		Transformed to the expected sun rays
	U [V]	I [A]	0,88/I [A]
1	0,42	0,32	0,9387
2	2,7	0,32	0,9387
3	4,7	0,32	0,9387
4	6,17	0,32	0,9387
5	7,68	0,26	0,7627
6	7,96	0,22	0,6453
7	8,20	0,16	0,4693
8	8,27	0,13	0,3813
9	8,30	0,11	0,3227
10	8,32	0,10	0,2933
11	8,32	0,09	0,2640
12	8,33	0,08	0,2347
13	8,34	0,07	0,2053
14	8,35	0,06	0,1760



We calculated the m value with given formula and known data.

$$m = \frac{1}{\frac{N * U_r * \ln\left(\frac{I_{sc} - I}{I_s} + 1\right)}{U}}$$

So, we got a list of the m value.

### Constants

What	Value	S.I.
Is	0,0000001	A/m <sup>2</sup>
Ur	0,0257	V
N	15	Cells in series
Isc = Iph	0,94	A

The average m value we get is 1.256

### Calculation "m" value

	m	control
1	0,115	0,9399994
2	0,737	0,9399994
3	1,284	0,9399994
4	1,685	0,9399994
5	1,385	0,9399996
6	1,386	0,9399997
7	1,384	0,9399998
8	1,381	0,9399999
9	1,377	0,9399999
10	1,376	0,9399999
11	1,372	0,9399999
12	1,370	0,9399999
13	1,368	0,9399999
14	1,367	0,9400000
<b>Average</b>	<b>1,256</b>	<b>0,9399997</b>

## Gear Ratio

The solar cell supplies current and voltage

$$I = I_{sc} - I_s \left( e^{\frac{U}{m \cdot N \cdot U_r}} - 1 \right)$$

So if we want the max power:

$$P = U \cdot I$$

When  $U = 7.55V$

$I = 0.93A$

$P_{max} = 7w$

(calculated by maple 14)

Therefore:



$$U \cdot I \cdot \eta = F_{wheel} \cdot V_{A/B}$$

$$U \cdot I \cdot \eta = F_{\text{wheel}} \cdot V_{A/B}$$

$$T_{\text{wheel}} = 8.55 \cdot 70\% \cdot I \cdot 10^{-3} \cdot n \quad (n \text{ is the gear ratio})$$

$$T_{\text{wheel}} = F_{\text{wheel}} \cdot R_{\text{wheel}}$$

$$S = \frac{1}{2} a \cdot t^2 = \frac{1}{2} V_{A/B} \cdot t_{A/B} \quad (S = 6 \text{ m, at point A/B})$$

$$F \cdot t = m \cdot \Delta V \rightarrow (F_{\text{wheel}} - F_{\text{rolling}}) \cdot t_{A/B} = m \cdot V_{A/B}$$

Estimate the weight of the car ( $m$ ) and the radius of the wheel ( $R_{\text{wheel}}$ ).

Taking  $m = 0.75\text{kg}$ ,  $R_{\text{wheel}} = 0.04\text{m}$ ,  $F_{\text{rolling}}$  can be calculated by

$$F_r = C_{rr} \times N$$

$N$  is the normal force

$$C_{rr} = 0.015$$

$$U = 7.56\text{V}; I = 0.93\text{A}; \eta = 70\%; S = 6\text{m}$$

So we calculate it by maple14:

$$\text{eq1} := 7 \cdot 0.7 = F_{\text{wheel}} \cdot V_{ab}$$

$$4.9 = F_{\text{wheel}} V_{ab}$$

$$\text{eq2} := T_{\text{wheel}} = 5.985 \cdot 0.001 \cdot n \cdot 0.9272$$

$$T_{\text{wheel}} = 0.0055492920 n$$

$$\text{eq5} := T_{\text{wheel}} = F_{\text{wheel}} \cdot 0.04$$

$$T_{\text{wheel}} = 0.04 F_{\text{wheel}}$$

$$\text{eq3} := 6 = \frac{1}{2} \cdot V_{ab} \cdot t$$

$$6 = \frac{1}{2} V_{ab} t$$

$$\text{eq4} := (F_{\text{wheel}} - 0.1104) \cdot t = 0.75 \cdot V_{ab}$$

$$(F_{\text{wheel}} - 0.1104) t = 0.75 V_{ab}$$

$$\text{simplify}(\text{solve}(\{\text{eq1}, \text{eq2}, \text{eq3}, \text{eq4}, \text{eq5}\}, \{V_{ab}, n, t, F_{\text{wheel}}, T_{\text{wheel}}\}))$$

$$\begin{aligned} & [[ V_{ab} = 4.142427119, n = 8.526359055, t = 2.896852414, F_{\text{wheel}} \\ & = 1.182881402, T_{\text{wheel}} = 0.04731525609], [ V_{ab} = -2.071213560 \\ & - 3.825725660 I, n = -3.865290932 + 7.139554796 I, t = \\ & -1.313242534 + 2.425682101 I, F_{\text{wheel}} = -0.5362407012 \\ & + 0.9904868579 I, T_{\text{wheel}} = -0.02144962805 \\ & + 0.03961947432 I], [ V_{ab} = -2.071213560 + 3.825725660 I, n = \\ & -3.865290932 - 7.139554796 I, t = -1.313242534 \\ & - 2.425682101 I, F_{\text{wheel}} = -0.5362407012 - 0.9904868579 I, \\ & T_{\text{wheel}} = -0.02144962805 - 0.03961947432 I]] \end{aligned}$$

Now we get :

$$V_{\max} = 4.142 \text{ m/s}$$

$$N = 8.53$$

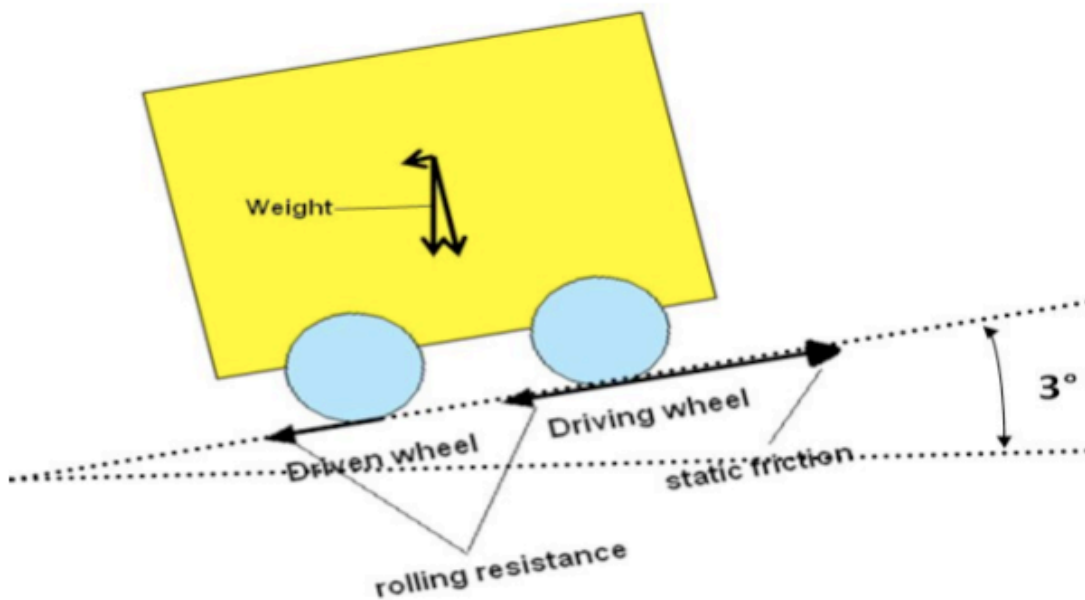
$$F_{\text{wheel}} = 1.183 \text{ N}$$

$$T_{\text{wheel}} = 0.0473 \text{ m}$$

When the car gets max velocity, it will take  $t$ .

$$t = 2.897 \text{ s}$$

When our car arrives at the slope:



On the slope

Total resistant force:

Rolling resistance; part of the weight;

Air resistance (neglected)

$$F_r = F_{\text{rolling}} + mg \cdot \sin(3^\circ) \approx 0.4953\text{N}$$

Thus, On the slope  $F_{\text{wheel}} > F_r$

$$F_{\text{wheel}} = F_r = 0.4953\text{N} \rightarrow T_{\text{wheel}}, \text{ gear ratio } i \text{ is known}$$

$\rightarrow I$  (current)  $\rightarrow$  solar panel U-I graph  $\rightarrow U$

$$\rightarrow U \cdot I \cdot \eta = F_{\text{wheel}} \cdot V \rightarrow V_{\text{slope}} = 4.77 \text{ m/s}$$

$$V_{\text{final}} \approx 3.66 \text{ m/s}$$

In this case,  $V_{A/B}$  and  $V_{\text{final}}$  are almost equal

$$\text{So } t_{\text{slope}} < 8\text{m} / V_{A/B} \approx 1.813\text{s}$$

$$t_{\text{total}} \approx t_{A/B} + t_{\text{slope}} = 2.897 + 1.813 = 4.71\text{s}$$