## SEL BIOA/840A FORTRAN IV Reference Manual

## Reference Manual

## SEL 8IOA/840A FORTRAN IV

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## SECTION 1

## INTRODUCTION

This manual describes the combined features of 810 A FORTRAN and 840A FORTRAN. The FORTRAN compiler on both these machines meets the ASA FORTRAN IV specifications.

This manual is written as a reference manual for programmers using the $810 \mathrm{~A} / 840 \mathrm{~A}$ FORTRAN compiler. The manual assumes a basic knowledge of the FORTRAN language; it is not written as a text for beginning FORTRAN programmers.
.

## ELEMENTS OF 810A/840A FORTRAN

The elements of 810A/840A FORTRAN discussed in this section are Quantities, Constants, Variables, Statements and Expressions. Word formats may be found in Appendix A.
2. 1

## QUANTITIES

810A/840A FORTRAN manipulates floating point and integer quantities. Logical and alphanumeric words are treated as integer. Floating point quantities have an exponent and a fractional part. The following classes of numbers are floating point quantities:

REAL
810A Exponent and sign 9 bits; fraction and sign 22 bits; range of number: 1077 with 6 significant digits.

840A Exponent and sign 9 bits; fraction and sign 38 bits; range of number: 1077 with 11 significant digits.

DOUBLE PRECISION 810A Exponent and sign 9 bits; fraction and sign 37 bits; 11 significant digits.

840A Exponent and sign 9 bits; fraction and sign 61 bits; 18 significant digits.

COMPLEX Two reals as defined above.
Integer quantities do not have a fractional part. The following classes of numbers are integer quantities.

INTEGER

LOGICAL

HOLLERITH

## 2.2

CONSTANTS
Five basic types of constants can be used in 810A/840A FORTRAN: integer, floating point, Hollerith, logical and alphanumeric. Complex and double precision constants can be formed from floating point constants. The type of constant is determined by its form and context.

IN TEGER

## FLOATING POINT

## REAL

DOUBLE PRECISION

COMPLEX

HOLLERITH

Integer constants may contain up to 7 decimal digits on the 840 A or 4 digits on the 810 A (single precision). Double precision may be used to give a maximum of 10 digits.

| Examples: | 17432 | -0 |
| :---: | :--- | :--- |
| $\cdot$ | 53 | 8388670 |
|  | -24739 | 2 |

-24739 2

Real constants may be expressed with a decimal point or with a fraction and an exponent representing a power of ten.

Examples: 3.1415768 31.415768E-01
$314.15768 \mathrm{E}-2 \quad 0.0314 \mathrm{E} 2$
31452E-4
If the decimal point is omitted when expressing a real number in exponential form, the decimal point is assumed to be at the right side of the number.

Double precision constants assume the same characteristics as real data with the advantage of increased significance. Double precision constants contain a decimal exponent.

$$
\begin{array}{lll}
\text { Examples: } & -1.0 \mathrm{D} & 3.141592654 \mathrm{D} \\
& 314 \mathrm{D}-2 & 4863.792 \mathrm{D} 05
\end{array}
$$

A double precision symbolic data name must be declared in a DOUBLE PRECISION type statement.

Complex constants are represented by pairs of real constants separated by a comma and enclosed in parentheses (R1, R2). R1 represents the real part of the complex number and R2, the imaginary part. Either constant may be preceded by a minus sign.

Examples:

FORTRAN Representation
(3.5E-2, -4.26E3) 0.035-4260.i
$(-5.38 \mathrm{E}, 3.2) \quad-5.38+3.2 \mathrm{i}$
A Hollerith constant is a string of alphanumeric characters. The form for a Hollerith constant is LHf where $L$ is the length of field $f$ including imbedded blanks. Any character of the FORTRAN character set may appear in a HOLLERITH field - letters, numbers, or special characters. The FORTRAN character set is listed in Appendix A. Blanks are valid and significant. The Hollerith word is left-justified with spaces (blanks)

LOGICAL
ALPHANUMERIC
filling the remainder of the last word if the number of characters is not a multiple of 4 on the 840 A or of 2 on the 810A.

Logical constants have the value of TRUE or FALSE.
Alphanumeric constants are strings of alphanumeric characters. The form for an alphanumeric constant is Aw, where $w$ is the field width. Alphanumeric constants are typed in integer form and are left-justified in the word.

## 2.3

## VARIABLES

Simple and subscripted variables are recognized. A simple variable represents a single quantity; a subscripted variable represents an array or a single element within an array. A variable is identified by an alphanumeric name of 6 or less characters, the first of which must be alphabetic. Variables are typed implicitly by name if the variable does not appear in a TYPE statement (see Section 3.1, Type Declarations). If the first letter of the variable name is an I, J, K, L, M, or $N$ the variable is typed integer. Any other first letter indicates a floating point variable.
(1) Sample

|  | General Form |
| :---: | :---: |
|  | 1-6 alphanumeric characters, first of which must be alphabetic. |
| Examples: | SAM VICTOR <br> J57B1 DOUGH <br> MONEYS N <br> N1 M5 |

## (2) Subscripts

A variable may be made to represent a one-, two-, or three-dimensional array by the use of subscripts enclosed in parentheses following the variable name. The variable then becomes a subscripted variable. The subscript may be integer constants, variables or expressions.
(3) Form of Subscripts

General Form: A subscript may take one of the following forms where C and $K$ are any unsigned integer constants and V is an unsigned, non-subscripted integer variable:

(4) Subscripted Variables

General Form: A subscripted variable consists of a variable name followed by one, two or three subscripts enclosed in parentheses.

Examples: $\quad$ SAM (I, J) A(L + 2, J + 3, $5 * M$ )
VICTOR (I) B(I, $2 * \mathrm{~K}+1)$
(5) Array Structure

Elements of an array are stored by columns in ascending order of storage locations. The array may have one, two, or three dimensions. The storage for a two-dimensional array is shown in Figure 2-1.

THREE-BY-FOUR ARRAY NAMED A ARRAY ELEMENT
$(1,1)$
$(2,1)$
$(3,1)$


NOTE: Arrows and Circled Numbers Indicate Storage Sequence.

Figure 2-1. Two-Dimensional Array, Storage Sequence of Elements

Elements of an array are stored in sequential positions in memory. A two- or three-dimensional array is stored in consecutive locations such that its first subscript expression (i.e., the left most one) varies most rapidly and its last subscript expression varies least rapidly.

Figure 2-2 shows the storage sequence for a three-dimensional array. Planes are stored sequentially, with each plane stored in the same sequence as a two-dimensional array. As indicated by the numbering sequence in the diagram, the first column of the second plane follows the last column of the first plane, and the first column of the third plane follows the last column of the second plane.


Figure 2-2. Three-Dimensional Array, Storage Sequence of Elements

Two types of statements are recognized by the FORTRAN compiler, executable and nonexecutable. An executable statement performs a calculation or directs the flow of the program. The executable statements are divided into the following groups:
(1) Arithmetic Statements which specify a numerical or logical calculation.
(2) Control Statements which govern the flow of the control in the program.
(3) Input/Output Statements which provide the necessary input/output routines and the input/output formats.
(4) Subprogram Statements which enable the programmer to define and use subprograms.

A nonexecutable statement is used to communicate to the compiler information regarding storage location, variable structure and storage sharing requirements. The specification statements (Section 3) fall under this basic type of statement.

EXPRESSIONS

Expressions are computational sequences that determine a value, either numeric or logical.

## SPECIFICATION STATEMENTS

The specification statements are: DATA, EQUIVALENCE, COMMON, DIMENSION, and TYPE. These statements provide information to the compiler about the constants and variables used in the program and also provide information about storage allocation. All specification statements are nonexecutable and must appear before the first executable statement in the program.
3.1

TYPE
There are six TYPE statements. All but EXTERNAL may be used to override the implicit typing of the FORTRAN compiler.

> General Form
> REAL $\mathrm{V}_{1}, \mathrm{~V}_{2}, \ldots . . \mathrm{V}_{\mathrm{n}}$
> IN TEGER $\mathrm{V}_{1}, \mathrm{~V}_{2}, \ldots . . \mathrm{V}_{\mathrm{n}}$
> LOGICAL $\mathrm{V}_{1}, \mathrm{~V}_{2}$, . . . $\mathrm{V}_{\mathrm{n}}$
> DOUBLE PRECISION $\mathrm{V}_{1}, \mathrm{~V}_{2}$, . . . $\mathrm{V}_{\mathrm{n}}$
> COMPLEX $\mathrm{V}_{1}, \mathrm{~V}_{2}, \ldots . . \mathrm{V}_{\mathrm{n}}$
> EXTERNAL $\mathrm{V}_{1}, \mathrm{~V}_{2}$, . . . $\mathrm{V}_{\mathrm{n}}$
where:
Each V may be a variable name, an array name, a function name or an array declaration.

Examples:

| REAL | INDEX, | NAME |  |
| :--- | :--- | :--- | :--- |
| INTEGER | DOG, | XIV |  |
| EXTERNAL | SIN, | MATH, | LOGSI |

Once declared, data types remain constant throughout the program and cannot be changed. Variables that are subprogram names must appear in an EXTERNAL type statement. A variable may appear in two type statements only if one is the EXTERNAL type. The type statement must precede the first use of a name in any executable or DATA statement in the program.

## General Form

DIMENSION $\mathrm{V}_{1}\left(\mathrm{i}_{1}\right), \mathrm{V}_{2}\left(\mathrm{i}_{2}\right), \mathrm{V}_{3}\left(\mathrm{i}_{3}\right) \ldots . . ., \mathrm{V}_{\mathrm{n}}\left(\mathrm{i}_{\mathrm{n}}\right)$
where:
each $\mathrm{V}_{\mathrm{n}}$ is a subscripted variable, and each $i_{n}$ is composed of 1,2 or 3 unsigned integer constants and/or variables.

Examples:
DIMENSION $\mathrm{A}(10,10), \mathrm{B}(5,15,20), \mathrm{C}(100)$
The DIMENSION statement provides the compiler with the necessary information to allocate the correct number of computer words for storage of the named arrays. The DIMENSION statement defines the maximum size of the arrays. If an array element is addressed which is larger than the specified maximum, the computational results will be erroneous.

In many subprograms, such as matrix manipulation, it may be necessary to vary the dimensions of an array each time the subprogram is called. This is done by including the array name and its dimensions as formal parameters in the FUNCTION or SUBROUTINE statement. The maximum dimension given any array must not exceed the actual dimension of the calling program.

Examples:
MAIN PROGRAM:
DIMENSION $A(10,10), \quad B(10,10), \quad C(10,10)$
$1 \mathrm{D}(5,5), \mathrm{E}(5,5), \quad \mathrm{F}(5,5)$
-

CALL ADDER (A, B, C, 10, 10)

CALL ADDER (D, E, F, 5, 5)

CALL ADDER (B, C, A, 10, 10)

## SUBROUTINE:

SUBROUTINE ADDER (X, Y, Z, N, M)
DIMENSION X (N, M), Y (N, M), Z (N, M)
DO $10 \mathrm{I}=1, \mathrm{M}$
DO $10 \mathrm{~J}=1, \mathrm{~N}$
10 Z(I, J) =X(I, J) +Y(I, J)
END RETURN

## 3.3

COMMON

## General Form

COMMON a, b, c... /r/d, e, f, ../ / g, h..
where:
a, b, ... are variables or array names, and /r/ is a variable that is a block name.

Examples:
COMMON A, B, C/T/D, E/SAM/F, G, H
COMMON /BLOCK/I, J, S, T// BIG, SMALL
There are two types of COMMON storage. When no block name is given, or two slashes appear together, the array names or variables are said to be in blank, or unlabeled, COMMON. All unlabeled COMMON is stored together in the order of its appearance in the COMMON statements. Block, or labeled, COMMON is stored as separate blocks of data. All blocks given the same name occupy the same space.

If dimension specification appears in a COMMON statement, it need not appear in a DIMENSION statement.

Example:
COMMON $\mathrm{A}(4,4,4)$

## General Form

EQUIVALENCE (a, b, c, ... ), (d, e,f, ...) ...
where:
a, b, c; d, e, f; ... are variables or array names that are to share the same storage location.

Example:
EQUIVALENCE (A $(2,3,5), C(5), D)$
An element of a multi-dimensional array may be expressed as the equivalent single dimensioned subscript.

Example:
Element $A(2,1,2)$ of the three-dimensional array $A(2,2,2)$ may be written as $A(6)$ and equivalenced to variable $C(5)$ as follows:

EQUIVALENCE (A(6), C(5))
The correspondence of a multiple subscripted variable to a single subscripted variable is:
$A(i, j, k)=A($ the value of $(i+(j-1) * I+(k-1) * I * J))$
where:
$i, j, k$ are integer constants and $I$, $J$ are the integer constants appearing in DIMENSION A(I, J, K)

Storage allocation is different for equivalenced arrays depending on whether the storage area is a COMMON block or not.

If two arrays, not in COMMON, are equivalenced:
DIMENSION A(3), B(5), C(4)
EQUIVALENCE (A(3), C(2))

Storage allocations are assigned as follows:
L A(1)
$L+1$ A(2)
$\mathrm{L}+2 \mathrm{~A}(3)$
L+3
L+4
L+5 B(1)
$\mathrm{L}+6 \quad \mathrm{~B}(2)$
$\mathrm{L}+7 \quad \mathrm{~B}(3)$
$\mathrm{L}+8 \quad \mathrm{~B}(4)$
$\mathrm{L}+9 \mathrm{~B}(5)$
However, if the arrays are in COMMON
COMMON $\mathrm{A}(3), \mathrm{B}(5), \mathrm{C}(4)$
EQUIVALENCE (A(3), C(2))
Storage is assigned as follows:
L A(1)
$\mathrm{L}+1$ A(2)
$\mathrm{L}+2$ A(3)
$\mathrm{L}+3 \quad \mathrm{~B}(1)$
$\mathrm{L}+4 \quad \mathrm{~B}(2)$
$L+5 \quad B(3)$
$\mathrm{L}+6 \quad \mathrm{~B}(4)$
$L+7 \quad B(5)$
Variables brought into a COMMON block through the use of an EQUIVALENCE statement may increase the size of the block. The COMMON block may only be increased beyond the last storage assignment for that block.

Example:
COMMON A, B, C
DIMENSION D (3)
EQUIVALENCE (D(1), B)
L A
$\mathrm{L}+1 \quad \mathrm{~B} \quad \mathrm{D}(1)$
$\mathrm{L}+2 \mathrm{C} \quad \mathrm{D}(2)$
D(3)

Illegal equivalencing:
COMMON A, B, C
DIMENSION D (3)
EQUIVALENCE (B, D(3))

|  |  |  | $D(1)$ |
| :--- | :--- | :--- | :--- |
| Origin -- | L | A | $D(2)$ |
|  | $L+1$ | $B$ | $D(3)$ |
|  | $L+2$ | $C$ |  |

The above example is illegal as the COMMON block is increased upwards.
3.5
DATA

## General Form

DATA list/literals/, list ${ }_{2} /$ literals $_{2} /$, ....
where:
list is a list of variables being defined and literals is a list of associated constants

Examples:
DATA A, B, I/ 14.314, 7.2, 3HEND/, C, D/5.0, 3.2/
The literals in a data statement may be integer, real, double precision, complex, or alphanumeric. An alphanumeric field is written as nH followed by $n$ alphanumeric characters. Each group of 4 characters forms a word ( 2 characters on the 810 ). If $n$ is not a multiple of 4 (or 2 ), the characters are left-justified and the remainder of the word is filled with blanks.

Variables used in a DATA statement may not appear in a COMMON statement. To enter variables in a COMMON block, the BLOCK DATA subprogram must be used (see Section 6.7).

## SECTION 4

## EXPRESSIONS

This section details the two types of statements allowable in 810A/840A FORTRAN, arithmetic expressions and logical expressions.
4. 1

## ARITHMETIC EXPRESSIONS

An arithmetic expression may be a constant, a variable (simple or subscripted) or an evaluated function. Arithmetic operators may be combined with constants, variables and functions to form complex expressions.

Arithmetic operators are:

+ addition
- subtraction
/ division
* multiplication
** exponentiation
Tables 4-1 and 4-2 show which constants, variables and functions may be combined by the arithmetic operators to form valid expressions. Table 4-l gives the valid combinations with respect to the arithmetic operators + , -, *, /. Table 4-2 gives valid combinations with respect to the arithmetic
 invalid combination.

Table 4-1. Arithmetic Operators (except exponentiation)

| $+,-, *, /$ | Real | Integer | Complex | Double <br> Precision | Logical |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Real | Y | N | Y | Y | N |
| Integer | N | Y | N | N | N |
| Complex | Y | N | Y | N | N |
| Double Precision | Y | N | N | Y | N |
| Logical | N | N | N | N | N |

Table 4-2. Exponentiation Combinations

| $* *$ | Real | Integer | Complex | Double <br> Precision | Logical |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Real | Y | Y | N | Y | N |
| Integer | N | Y | N | N | N |
| Complex | N | Y | N | N | N |
| Double Precision | Y | Y | N | Y | N |
| Logical | N | N | N | N | N |

Any real constant, variable or function name combined with a complex or double precision quantity will result in a complex or double precision quantity.

Certain operators may not appear in sequence. The expression $A * * B *$ C is not permitted; it must be written as either $A * *(B * * C)$ or $(A * * B) * * C$, whichever is intended, whereas $A * B * C$ is permissible. Basic rules of algebra are used.

The hierarchy of operations may be altered by the use of parentheses to specify operations to be done first. Where parenthescs are omitted, the order of operations is:
(1) $* *$ exponentiation
(2) $\quad *$ and / multiplication and division
(3) $\quad+$ and - addition and subtraction

Expressions are scanned from left to right.
In the following examples, $R$ indicates an intermediate result.
Examples:

$$
\begin{aligned}
& A *(B-(C /(D+E))) \\
& D+E \rightarrow R_{1} \\
& C / R_{1} \rightarrow R_{2} \\
& B-R_{2} \rightarrow R_{3} \\
& A * R_{3} \rightarrow R_{4}
\end{aligned}
$$

evaluation complete

$$
\begin{aligned}
& \text { 5. } *(3 . * * \operatorname{SPC}+\operatorname{SQRT}(\mathrm{A} * * 2)) / 4 . *(\mathrm{~B} * * \mathrm{ABS}(\mathrm{X})) \\
& \mathrm{A} * * 2 \rightarrow \mathrm{R}_{1} \\
& \mathrm{SQRT}\left(\mathrm{R}_{1}\right) \rightarrow-\mathrm{R}_{2} \\
& 3 . * * \operatorname{SPC} \rightarrow \mathrm{R}_{3} \\
& \mathrm{R}_{2}+\mathrm{R}_{3} \quad \rightarrow-\mathrm{R}_{4} \\
& \mathrm{~B} * * \mathrm{ABS}(\mathrm{X}) \rightarrow-\mathrm{R}_{5} \\
& 5 * \mathrm{R}_{4} \quad \rightarrow \mathrm{R}_{6} \\
& \mathrm{R}_{6} / 4 . \\
& \mathrm{R}_{7} * \mathrm{R}_{5} \quad \rightarrow-\mathrm{R}_{7} \\
& \quad \rightarrow \mathrm{R}_{8}
\end{aligned}
$$

evaluation complete

## 4. 2

## LOGICAL EXPRESSIONS

A logical expression consists of certain sequences of logical constants, logical variables, references to logical functions, and arithmetic expressions separated by logical operation symbols or relational operation symbols. When evaluated, a logical expression always has the value. TRUE. or . FALSE. .

The logical operation symbols are as follows: ( $\underline{a}$ and $\underline{b}$ represent logical expressions):

## LOGICAL OPERATOR

## DEFINITION

Has the value. TRUE. if a has the value. FALSE., or has the value. FALSE. ${ }^{-}$if a has the value. TRUE. .
a. AND. $\underline{b}$
a.OR. $\underline{b}$

Has the value. TRUE. if $a$ and $b$ both have the value . TRUE., or has the value. FALSE. if either $\underline{a}$ or $\underline{b}$ have the value. FALSE. .

Has the value. TRUE. if either $a$ or $b$ have the value . TRUE., or has the value. FALSEE. if $\underline{a}$ and $\underline{b}$ both have the value. FALSE...

Two logical operators may not appear adjacent to each other unless the second logical operator is. NOT..

NOTE: The logical operators shown above and relational operators shown below must be preceded and followed by a period.

Logical comparison may be effected by use of the following relational operators:

## DEFINITION

| . EQ. | Equal to |
| :--- | :--- |
| . GE. | Greater than or equal to |
| .GT. | Greater than |
| . LE. | Less than or equal to |
| . LT. | Less than |
| . NE. | Not equal to |

The value of a logical relation is. TRUE. if satisfied, . FALSE. if not satisfied. In the absence of parentheses indicating a hierarchy of operations, logical expressions are evaluated as follows:
(1) Arithmetic expressions are evaluated
(2) Logical relations are determined:
. EQ. , . GE. , . GT. , . LT. , . LE. , .NE.
(3) . NOT.
(4) . AND.
(5) .OR.

Logical Statements have the general form:

## General Form

$\mathrm{a}=\mathrm{b}$
where:
a is a logical variable or analog element
b is a logical expression

The logical expression is evaluated and the previous value of the logical variable on the left of the equals sign is replaced with. TRUE. or . FALSE.

In the following examples it is assumed that all variables on the left of the equals sign are typed logical and all other variables are typed real.
$\mathrm{A}=. \mathrm{FALSE}$.

B = X. LE. 5.

C = X. GT. 5. . OR. Y. LT. Z

The previous value of $A$ is replaced by the logical constant. FALSE. .

If $X$ is less than or equal to $5, B$ has the value. TRUE., otherwise $B$ is set equal to . FALSE. .

Determine a value of . TRUE. or . FALSE. for X. GT. 5. (it is. TRUE. if X is . GT. 5 and. FALSE. if X is less than or equal to 5). Determine a value of . TRUE. or . FALSE. for Y. LT. Z. If the value of either relation is.TRUE., replace the previous value of C with. TRUE.; otherwise replace the previous value of C with.FALSE..

LOGIC $=$.TRUE. .AND. 400. GE. X
$A(1)=. N O T_{*}$ (X.EQ. 50. $/ \mathrm{Y} * * 2$ )
$B=X . A N D$. .NOT. $Y$
$\mathrm{D}=\mathrm{X} . \mathrm{GT} .(50 . * \mathrm{Y} * \mathrm{~W}(\mathrm{X}-2)$.

If 400 is greater than or equal to X , store . TRUE. in LOGIC; otherwise store . FALSE. .

If $X$ equals 50. divided by $Y^{2}$, store . FALSE. in logical array element A(1); otherwise store. TRUE. in A(1).

If $Y$ is. FALSE. and $X$ is. TRUE. store the value. TRUE. in B; otherwise store . FALSE. in B.

The arithmetic expression is evaluated in the conventional manner (innermost parenthesis is evaluated first).

If X is greater than the final result, . TRUE. is stored in D; otherwise . FALSE. is stored in D.

## SECTION 5

## CONTROL STATEMENTS

The control statements are used to alter the normal flow of control of statements from the sequential mode. Control may be transferred to an executable statement only.
5.1 UNCONDITIONAL GO TO STATEMENT

```
General Form
GO TO n
where:
n is a statement number
```

Example:
GO TO 25
This statement causes control to be transferred to statement
number 25.
5.2

COMPUTED GO TO STATEMENT

## General Form

GO TO ( $\left.\mathrm{n}_{1}, \mathrm{n}_{2}, \mathrm{n}_{3} \ldots \ldots \mathrm{n}_{\mathrm{m}}\right)$, i
where:
$\mathrm{n}_{1}, \mathrm{n}_{2}, \mathrm{n}_{3} \ldots \ldots \mathrm{n}_{\mathrm{m}}$ are statement numbers, and i is a nonsubscripted integer variable.

Example:
GO TO (40, 20, 30, 45), K
This statement causes control to be transferred to statement number $40,20,30,45$, depending on whether the value of K is $1,2,3$, or 4 , respectively, at the time of execution of the statement. In the example, if K is 3 at the time of execution, control would transfer to the third statement number in the list; statement number 30 .

## General Form

ASSIGN n to i
where:
n is a statement number, and
$i$ is an integer variable

Examples:
ASSIGN 17 to J
ASSIGN 9 to JA
This statement causes a subsequent GO TO $\mathrm{n}_{1}\left(\mathrm{~m}_{1}, \mathrm{~m}_{2}\right.$, $m_{3}, \ldots, m_{j}$ ) to transfer control to statement number $i$, where $i$ is one of the statement numbers included in the series $m_{1}, m_{2}, m_{3}, \ldots, m_{j}$.
5. 4 ASSIGNED GO TO STATEMENT

## General Form

GO TO $n,\left(m_{1}, m_{2}, m_{3}, \ldots, m_{j}\right)$
where:
$n$ is a non-subscripted integer variable appearing in a previously executed ASSIGN statement, and
$m_{1}, m_{2}, m_{3}, \ldots, m_{j}$ are statement numbers.

Example:
GO TO J, (5, 17, 3, 9, 24)

This statement causes control to be transferred to the statement number last assigned to $n$ by an ASSIGN statement. 5, 17, 3, 9, 24 are a list of statement numbers that J may assume.

## General Form

$\operatorname{IF}(A) n_{1}, n_{2}, n_{3}$
where:
A is an arithmetic expression, and $\mathrm{n}_{1}, \mathrm{n}_{2}, \mathrm{n}_{3}$ are statement numbers.

## Examples:

$$
\begin{aligned}
& \operatorname{IF}(A(I, J)-B) 10,15,2 \\
& \operatorname{IF}(X * * 2+3 .) 3,3,10
\end{aligned}
$$

This statement causes a branch to statement number $\mathrm{n}_{1}, \mathrm{n}_{2}$ or $n_{3}$ if the value of the arithmetic expression is less than, equal to, or greater than zero, respectively.

## 5.6 <br> LOGICAL IF STATEMENT

## General Form

IF (L) S
where:
L is a logical expression, and
S is any executable statement, except a DO statement or another logical IF statement.

Examples:
IF (A.LE. B) GO TO 7
IF (A. AND. B) CALL BOTH
IF (L) $\mathrm{X}=\mathrm{SIN} \mathrm{Y}$
If the value of the logical expression $L$ is. TRUE., statement S is executed. Control is then transferred to the next statement following the logical IF unless $S$ is a GO TO statement or an arithmetic IF, in which case control is transferred as indicated.

If the value of the logical expression L is.FALSE., the statement following the logical IF is executed.

```
General Form
DO m i = n m, n2, n
where:
m}\mathrm{ is a statement number
i is a non-subscripted integer variable
n
integer variables.
If n}\mp@subsup{n}{3}{}\mathrm{ is not stated, it is assumed to be l.
```

Examples:
DO $30 \mathrm{I}=5,20,5$
DO $25 \mathrm{I}=1, \mathrm{~K}$
The DO statement is a command to execute repeatedly the statements between the $D O$ statement and $m$. As shown in the general form, $n_{1}$ is the initial setting of $i ; n_{2}$ is the terminal value of $i$ and $n_{3}$ is the increment by which i is raised on each pass through the DO loop. A DO loop will be executed at least once.

The range of a DO is that set of statements between the DO statement and statement m. After the last pass through the DO loop, the DO is said to be satisfied. The index of the DO, i, is available throughout the range of the DO for use in computations but it can never be altered in any way. The DO parameters, $\mathrm{n}_{1}, \mathrm{n}_{2}$, and $\mathrm{n}_{3}$ also may not be altered in any way while in the range of DO loop.


DO LOOPS
1, 2, 3 are permitted transfers.

4, 5, 6 are illegal transfers.

The DO loop may contain within it other DO loops, provided that each DO loop is completely contained within the range of the outer loop. Such a configuration is called nested DOs. Control may be transferred freely while inside the range of a DO; it is also permissable to transfer control out of the range of a DO or to another DO statement. It is illegal to transfer into the range of a DO from outside.

A DO loop cannot end on an IF or GO TO type statement.
5.8

CONTINUE STATEMENT

## General Form

CONTINUE

The CONTINUE statement is a dummy statement and does not alter the normal sequencing of the program. It is classified as an executable statement. The main use of the CONTINUE statement is as a reference point and as a last statement in the range of a DO.
5.9

PAUSE STATEMENT

## General Form

PAUSE or
PAUSE n
where:
n is an unsigned octal integer constant of 1 to 5 octal digits

The PAUSE statement is used to halt the program at some time during execution to allow some external set-up, such as the changing of tapes. Operator action is necessary to restart the program. Once restarted, the program resumes at the first executable statement after the PAUSE. The identification constant, $n$, indicates the particular PAUSE statement which caused the delay, since the identification is displayed. The identification constant may be 1 to 5 octal digits.
5. 10

END STATEMENT

## General Form

END

The END statement terminates compilation of a program. The END statement must be the last physical statement in a source program.
5.11 STOP STATEMENT
General Form
STOP or STOP n

The STOP statement causes a final termination of the program. The constant, $n$, when included indicates the particular STOP statement that ended execution of the program.
5. 12

RETURN STATEMENT

General Form
RETURN

RETURN is the normal exit from any subprogram to the calling program.
5.13

SENSE LIGHT SUBROUTINE

## General Form

CALL SLITE (i)
where:
i is an integer constant corresponding to sense light numbers.

This subroutine turns on the sense light designated by the argument, i. If the argument is zero, all sense lights are set to OFF.

The sense lights are simulated by reserving a word in memory in which all bits are set to zero for OFF, or the bits are set to one, simulating ON.

```
General Form
CALL SLITET (i, K)
where:
i is the sense light number, and
k = l if light is ON, or
k = 2 if light is OFF
```

This subroutine checks the status of the sense lights indicated by the first argument, i. If the sense light is $O N$, the second argument, $k$, is equal to one; if the sense light is OFF, $k$ is equal to two.

SENSE SWITCH TEST SUBROUT INE

## General Form

CALL SSWTCH (i, k)
where:
$i$ is the sense switch number, and
k is the status of the sense switch

This subroutine is used to check the status of the sense switches designated by the first argument, i. If the sense switch is ON, k returns with a value of one; if the sense switch is OFF, $k$ returns with the value of two.
5. 16

ACCUMULATOR OVERFLOW TEST SUBROUTINE

## General Form

CALL OVERFL (j)
where:
$j$ is the status of the overflow indicator

If an overflow has occurred in the accumulator register, a call to this subroutine turns OFF the overflow indicator and returns with a value of one for the argument, $j$; otherwise $j$ will return with a value of two.
${ }^{\prime}$

## SECTION 6

SUBROUTINES, FUNCTIONS AND SUBPROGRAM STATEMENTS

There are four classes of subroutines in FORTRAN: arithmetic statement functions, built-in functions, FUNCTION subprograms and SUBROUTINE subprograms. The first three classes are grouped as functions. Functions differ from subprograms as they are always single-valued (they return a single result) and they are referenced by an arithmetic expression. Subprograms are referenced by a CALL statement and can return more than one value.

## 6.1

NAMING SUBROUTINES
All four types of subroutines are named in the same manner. A subroutine name consists of 1-6 alphanumeric characters, the first of which must be alphabetic.

The type of a function, which determines the type of the result, may be implicitly typed by the function name. In the case of an arithmetic statement function, the name may be placed in a type statement to override the implicit type; a FUNCTION subprogram type may be written preceding the word FUNCTION to override the type implied by the function name. The type of a built-in, or library, function is indicated within the FORTRAN processor and does not have to appear in a type statement (see Table 6-1).

The type of a SUBROUTINE subprogram is immaterial, as the type of the results are dependent only upon the type of the variable names appearing in the calling sequence.
6.2 ARITHMETIC STATEMENT FUNCTIONS

Arithmetic statement functions are defined by a single arithmetic expression and are applicable only to the source program in which they are defined.

General Form
$\mathrm{a}\left(\mathrm{ARG}_{1}, \mathrm{ARG}_{2} \ldots\right)=\mathrm{b}$
where:
$a$ is a function name,
$\mathrm{ARG}_{1}, \mathrm{ARG}_{2} \ldots$ are
the dummy arguments of the function, and $b$ is an arithmetic expression

TABLE 6-1
LIBRARY FUNCTIONS

| FUNCTION | DEFINITION | NUMBER OF ARGUMENTS | NAME | TYPE |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | ARGUMENT | FUNCTION |
| ABSOLUTE VALUE | \|ARG| | 1 | $\begin{aligned} & \text { ABS } \\ & \text { IABS } \\ & \text { DABS } \end{aligned}$ | REAL INTEGER DOUBLE | REAL INTEGER DOUBLE |
| TRUNCATION | SIGN OF ARG TIMES LARGEST INTEGERミ\|ARG| | 1 | $\begin{aligned} & \hline \text { AINT } \\ & \text { INT } \\ & \text { IDINT } \\ & \hline \end{aligned}$ | REAL REAL DOUBLE | REAL INTEGER INTEGER |
| REMAINDERING* | $\mathrm{ARG}_{1}\left(\mathrm{MOD} \mathrm{ARG}_{2}\right)$ | 2 | $\begin{aligned} & \text { AMOD } \\ & \text { MOD } \end{aligned}$ | REAL INTEGER | REAL INTEGER |
| CHOOSING LARGEST VALUE | $\operatorname{MAX}\left(\right.$ ARG $\left._{1}, \mathrm{ARG}_{2} \cdots\right)$ | $\geq 2$ | AMAX 0 <br> AMAXI <br> MAXO <br> MAXI <br> DMAXI | INTEGER REAL INTEGER REAL DOUBLE | REAL REAL INTEGER INTEGER DOUBLE |
| CHOOSING SMALLEST VALUE | $\operatorname{MIN}\left(\mathrm{ARG}_{1}, \mathrm{ARG}_{2} \cdots\right)$ | $\geq 2$ | AMINO AMIN1 MINO MIN1 DMIN1 | INTEGER REAL INTEGER REAL DOUBLE | REAL REAL INTEGER INTEGER DOUBLE |
| FLOAT | CONVERSION FROM INTEGER TO REAL | 1. | FLOAT | INTEGER | REAL |
| FIX | CONVERSION FROM REAL TO INTEGER | 1 | IFIX | REAL | INTEGER |
| TRANSFER OF SIGN | SIGN OF ARG 2 TIMES $\mid$ ARG ${ }_{1} \mid$ | 2 | $\begin{aligned} & \text { SIGN } \\ & \text { ISIGN } \\ & \text { DSIGN } \end{aligned}$ | REAL INTEGER DOUBLE | REAL INTEGER DOUBLE |
| POSITIVE DIFFERENCE | $A R G G_{1}-\operatorname{MIN}\left(A R G_{1}, A R G_{2}\right)$ | 2 | $\begin{aligned} & \hline \text { DIM } \\ & \text { IDIM } \\ & \hline \end{aligned}$ | REAL INTEGER | REAL INTEGER |
| OBTAIN MOST SIGNIFICANT <br> PART OF DOUBLE-PRECISION ARG. |  | 1 | SNGLE | DOUBLE | REAL |
| OBTAIN REAL PART OF COMPLEX ARG. |  | 1 | REAL | COMPLEX | REAL |
| OBTAIN IMAGINARY PART OF COMPLEX ARG. |  | 1 | AIMAG | COMPLEX | REAL |
| EXPRESS SINGLE-PRECISION ARG. IN DOUBLE-PRECISION FORM |  | 1 | DBLE | REAL | DOUBLE |
| EXPRESS TWO REAL ARGS. IN COMPLEX FORM | $\mathrm{ARG}_{1}+\mathrm{ARG}_{2} \sqrt{-1}$ | 2 | CMPLX | REAL | COMPLEX |
| OBTAIN CONJUGATE OF A COMPLEX ARG | $\begin{aligned} \text { FOR ARG } & =X+i Y, \\ C & =X-i Y \end{aligned}$ | 1 | CONJG | COMPLEX | COMPLEX |

${ }^{*}$ The function $\mathrm{MOD}\left(\mathrm{ARG}_{1}, \mathrm{ARG}_{2}\right)$ is defined as $\mathrm{ARG}_{1}-\left[\mathrm{ARG}_{1} / \mathrm{ARG}_{2}\right] \mathrm{ARG}_{2}$, where $[x]$ is the integral part of $x$.

Examples:

```
\(\operatorname{ROOT}(\mathrm{A}, \mathrm{B}, \mathrm{C})=(-\mathrm{B} * \operatorname{SQRT}(\mathrm{~B} * * 2-4 . * \mathrm{~A} * \mathrm{C}) /(2 . * \mathrm{~A})\)
FIRST (X) \(=\mathrm{A} * \mathrm{X}+\mathrm{B}\)
\(\mathrm{Z}(\mathrm{X}, \mathrm{Y})=7.3 * \operatorname{SIN}(\mathrm{X})+4.7 * \operatorname{COS}(\mathrm{Y})\)
```

During compilation, the statement function definition is inserted in the code wherever the statement function reference appears as an operand in an expression. The statement function name must not appear in a COMMON, DIMENSION, EQUIVALENCE or EXTERNAL statement. All statement functions must appear before the first executable statement in the program or subprogram, but they must follow all specification statements. The arguments of the function are symbolic names that are replaced by the actual call arguments when the function is used.

Example:
DIMENSION $X(5), Y(5), Z(5)$
ROOT
$(A, B, C)=(-B * \operatorname{SQRT}(B * * 2-4.0 * A * C) / 2.0 * A)$

APPLE $=$ ROOT (X(I), $Y(I), Z(I)) * B I G / A V G$
The dummy arguments assume the values of $\mathrm{X}(\mathrm{I}), \mathrm{Y}(\mathrm{I})$, and $\mathrm{Z}(\mathrm{I})$, respectively and the statement function expression is executed.
$\operatorname{APPLE}=(-\mathrm{Y}(\mathrm{I}) * \operatorname{SQRT}(\mathrm{Y}(\mathrm{I}) * * 2-4.0 * \mathrm{X}(\mathrm{I}) * \mathrm{Z}(\mathrm{I})) /(2.0 * * \mathrm{X}(\mathrm{I}) * \mathrm{BIG} / \mathrm{AVG}$ 6.3

LIBRARY FUNCTIONS
Library functions are pre-defined subroutines within the FORTRAN processor. A list of available library functions is given in Table 6-1.

FUNCTION SUBPROGRAM

## General Form

FUNCTION name (ARG ${ }_{1}, A R G_{2}$, ARG $_{3}, \ldots \ldots$. . ARG n) or type FUNCTION name (ARG ${ }_{1}$, ARG $_{2} \ldots \ldots$....ARG n)
where:
Name is the symbolic name of a single-valued function, and $A^{A R G}{ }_{1}, A R G_{2}, \ldots$... ARG $n$ are variable names or the dummy name of a SUBROUTINE or FUNCTION subprogram, and type is a data type name, i.e., INTEGER, REAL, etc.

Examples:
FUNCTION SAM (X, Y, A)
REAL FUNCTION IBAR (TEMP, ALT)
INTEGER FUNCTION JOE (IX, JOKE, SAT)
DOUBLE PRECISION FUNCTION DP (A, C, X)
COMPLEX FUNCTION ABLE (BMIX, AMIX)

## LOGICAL FUNCTION TRFAL (S, T, U)

The first statement of a FUNCTION subprogram must be a FUNCTION statement; the last statement must be an END statement. There must be at least one RETURN statement. The name of the function must appear on the left side of an arithmetic statement or in an input statement.

Example:
FUNCTION SAM (X, Y, A)
.
.

$$
\mathrm{SAM}=\mathrm{A} * * 2+\mathrm{B}
$$

RETURN
END
The FUNCTION subprogram may contain any FORTRAN statement, except SUBROUTINE or another FUNCTION statement.

There must be at least one argument in the FUNCTION statement. Dummy arguments may not appear in an EQUIVALENCE statement in the FUNCTION subprogram. The arguments of a FUNCTION statement may be considered dummy names which are replaced at execution time by the actual arguments in the calling program. The actual arguments must agree in number, order, and type with the dummy arguments.

When the dummy argument is an array name, a DIMENSION or COMMON (with dimensions) statement must appear in the FUNCTION subprogram; also the corresponding actual argument must be a dimensioned array name.

A FUNCTION subprogram is referenced by using its name as an operand in an arithmetic or logical expression.

When the name of a FUNCTION subprogram is used as an actual argument, the name must appear in an EXTERNAL statement.

The FUNCTION subprograms that are available with FORTRAN are given in Table 6-2.

TABLE 6-2
MATHEMATICAL SUBROUTINES

| FUNCTION | DEFINITION | NUMBER OF ARGUMENTS | NAME | TYPE |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | ARGUMENT | FUNCTION |
| EXPONENTIAL | $e^{\text {ARG }}$ | 1 | $\begin{aligned} & \operatorname{EXP} \\ & \text { DEXP } \\ & \text { CEXP } \end{aligned}$ | REAL DOUBLE COMPLEX | REAL DOUBLE COMPLEX |
| NATURAL LOGARITHM | $\mathrm{LOG}_{\mathrm{e}}(\mathrm{ARG})$ | 1 | $\begin{aligned} & \hline \text { ALOG } \\ & \text { DLOG } \\ & \text { CLOG } \end{aligned}$ | REAL DOUBLE COMPLEX | REAL DOUBLE COMP |
| COMMON LOG | $\mathrm{LOG}_{10}$ (ARG) | 1 | $\begin{aligned} & \text { ALOG10 } \\ & \text { DLOG10 } \end{aligned}$ | REAL DOUBLE | REAL DOUBLE |
| TRIGONOMETRIC SINE | SIN(ARG) | 1 | $\begin{aligned} & \hline \operatorname{SIN} \\ & \mathrm{DSIN} \\ & \mathrm{CSIN} \end{aligned}$ | REAL <br> DOUBLE <br> COMPLEX | REAL DOUBLE COMPLEX |
| TRIGONOMETRIC COSINE | COS(ARG) | 1 | $\begin{aligned} & \hline \cos \\ & \text { DCOS } \\ & \text { CCOS } \end{aligned}$ | REAL <br> DOUBLE <br> COMPLEX | REAL DOUBLE COMPLEX |
| HYPERBOLIC TANGENT | TANH (ARG) | 1 | TANH | REAL | REAL |
| SQUARE ROOT | $(\mathrm{ARG})^{1 / 2}$ | 1 | $\begin{aligned} & \hline \text { SQRT } \\ & \text { DSQRT } \\ & \text { CSQRT } \end{aligned}$ | REAL <br> DOUBLE <br> COMPLEX | REAL DOUBLE COMPLEX |
| ARCTANGENT | ARCTAN(ARG) $\operatorname{ARCTAN}\left(\operatorname{ARG}_{1} / \operatorname{ARG}_{2}\right)$ | $\begin{aligned} & \hline 1 \\ & 1 \\ & 2 \\ & 2 \\ & \hline \end{aligned}$ | ATAN DTAN ATAN2 DATAN2 | REAL <br> DOUBLE <br> REAL <br> DOUBLE | REAL <br> DOUBLE <br> REAL <br> DOUBLE |
| REMAINDERING* | $\mathrm{ARG}_{1}\left(\right.$ MOD ARG $\left._{2}\right)$ | 2 | DMOD | DOUBLE | DOUBLE |
| MODULUS |  | 1 | CABS | COMPLEX | REAL |

[^0]
## General Form

SUBROUTINE name (ARG ${ }_{1}$, ARG $_{2} \ldots$....ARG n)
where:
Name is the symbolic name of a subprogram, and, each argument, if any, is a variable name or the dummy name of a SUBROUTINE or FUNCTION subprogram.

Examples:
SUBROUTINE MAYBE (A, B, X, BIG)
SUBROUTINE SORT
The SUBROUTINE statement must be the first statement of a SUBROUTINE program. The SUBROUTINE returns values, if any, either through one or more of the arguments listed or through COMMON storage.

The actual arguments in the calling program must agree in order, type and number with the dummy arguments in the subroutine. If a dummy argument is an array name, a DIMENSION or COMMON (with dimensions) statement must appear in the SUBROUTINE subprogram; also the corresponding actual argument in the CALL statement must be a dimensioned array name. No dummy argument may appear in an EQUIVALENCE statement in the SUBROUTINE subprogram.

The SUBROUTINE subprogram must have at least one RETURN statement. It may contain any FORTRAN statement except FUNCTION or another SUBROUTINE statement.

If the name of a FUNCTION or another SUBROUTINE subprogram is used as an argument, the name must first appear in an EXTERNAL statement.

Example:
EXTERNAL SIN
CALL ANGLE (A, X, SIN)
6.6

THE CALL STATEMENT
The CALL statement transfers control to the subprogram and gives it the actual arguments. The arguments may be:
(1) Any type of constant
(2) Any type of subscripted or non-subscripted variable.
(3) An arithmetic or logical expression.
(4) Alphanumeric characters, written as Hollerith fields, nH.

The arguments of the subroutine in the CALL statement must agree in order, number and type with the corresponding dummy arguments in the SUBROUTINE statement in the called program.

## 6.7 <br> BLOCK DATA SUBPROGRAM

To enter data from a DATA statement into a COMMON block during compilation, the BLOCK DATA subprogram must be used. This subprogram contains only the DATA, COMMON, DIMENSION and TYPE statements associated with the data being entered. The BLOCK DATA subprogram may not contain any executable statements. The first statement must be the BLOCK DATA statement.

Example:
BLOCK DATA
DIMENSION B(5), X(10)
COMMON / ALPHA/ A, B, C / RLM/ X, Y, Z
INTEGER B
DATA (A, B(1) / 5.3, 7/, X (1), X (3) / 3.14, $10.93 /$
Note in the example above that all elements in the COMMON block must be listed even though they do not appear in the DATA statement. Data may be entered into more than one COMMON block in a single BLOCK DATA statement.

## SECTION

## INPUT/OUTPUT

The statements that control the input and output of information to or from the computer may be grouped as follows:

General I/O statements: The READ and WRITE statements that transmit data between core storage and I/O devices.

Manipulative I/O statements: Statement such as END FILE, BACKSPACE, and REWIND which manipulate I/O devices.

Format specifications: The FORMAT statement, which is non-executable, gives a description of the incoming or outgoing data.

## 7.1 <br> INPUT/OUTPUT LISTS

An I/O list is a list of items, separated by commas, which contains the names of the variables or arrays to be transmitted by a general I/O statement. The list may contain subscripted variables or an implied DO, single or nested. The following example shows the use of nested DO's in an I/O list.

A, ( $\mathrm{B}(\mathrm{I}), \mathrm{I}=1,3),(\mathrm{C}(\mathrm{J}), \mathrm{D}(\mathrm{J}), \mathrm{J}=1,3),((\mathrm{E}(\mathrm{I}, \mathrm{J}), \mathrm{I}=1,10,2),, \mathrm{J}=1,2)$
This list implies that the information in the external I/O device is arranged as follows:
$A, B(1), B(2), B(3), C(1), D(1), C(2), D(2), C(3), D(3), E(1,1), E(3,1)$, $E(5,1), \ldots . . E(9,1), E(1,2), E(3,2) . \ldots . . E(9,2)$

The input list $K, A(K)$, or $K$, ( $A(I), I=1, K$ ) is valid, as $K$ is read in prior to its use as an index or as an indexing parameter.

Any number of quantities may appear in a single list, however, each quantity must have the correct format corresponding to it. The list controls the quantity of data read.
7.1.1 Short-List Notation

An array that has been previously dimensioned in a COMMON, DIMENSION, or data type statement may be transmitted without subscripts.

Example:
DIMENSION A (5)
READ (5, 10) A
The entire array, A, is read in, that is, 5 quantities of $A$ are read and stored.

There are two types of input statement used by 810A/840A FORTRAN. The basic forms are:

READ (i) List (Non-Formatted)
READ (i, n) List (Formatted)
where:
i is a code number identifying the input device (logical unit number). It may be an unsigned integer constant or integer variable.
n is a statement number of a FORMAT statement or the name of an array in which the necessary format information is stored.

LIST is an optional list of the names of variables, array, and/or array elements that are to receive input values at execution time by this particular READ statement.

A non-formatted READ statement causes the information or logical unit i to be read in as binary information. A formatted READ is executed under control of a FORMAT statement ( n ). The decimal and/or alphanumeric data read is then converted into internal form.

Output statements are identical to the input statements:
WRITE (i) List (Non-Formatted)
WRITE (i, n) List (Formatted)
If no list is included any Hollerith information and/or line spacing instruction in the FORMAT statement is executed.
7.3 FORMAT

General Form
n FORMAT ( $\mathrm{S}_{1}, \mathrm{~S}_{2}, \ldots \ldots \mathrm{~S}_{\mathrm{m}}$ ) or
n FORMAT $\left(S_{1}, S_{2}, \ldots . . S_{m} / S_{1}\right.$,
$\left.S^{\prime}{ }_{2}, \ldots . . S^{\prime}{ }_{m} / S^{\prime \prime}{ }_{1}, \ldots . . S^{\prime \prime}{ }_{m}\right)$
where:
each $\mathrm{S}_{\mathrm{i}}$ is a format specification, and n is a statement number.

Examples:
FORMAT (1H1, 5X, I2, 2X, F10.3/5X, I4, F7.3)
FORMAT (6F10.2)
FORMAT (I5, 3(2X, F7.2))
FORMAT statements are non-executable and may be placed anywhere in the source program. Each FORMAT statement must have a unique statement number, by which it is referenced.

Slashes (/) in the FORMAT statement are used to signify record terminators. When writing on an off-line printer, the maximum record length corresponds to the length of one printed line. When punching a card, the maximum record length is 80 characters if the card is to be read on-line.

During input/output of data, the program scans the FORMAT statement specified by the READ or WRITE statement. When a format specification is found for numeric field and there are still items in the list to be transmitted, the input/output of the numeric data takes place according to the format specification, and the program continues the scan of the FORMAT statement. If no items remain to be transmitted, execution of that particular I/O statement ceases. Thus, a FORMAT statement is repeated until the list associated with it is exhausted.

CONVERSION SPECIFICATIONS
The data elements in an I/O list are converted from external to internal or from internal to external representations. The FORMAT specifications may also contain editing codes.

## Conversion Codes

Dw.d Double-precision floating point with exponent
Ew. d Single-precision floating point with exponent
Fw.d Single-precision floating point without exponent
Gw. d Single-precision floating point without exponent
C (Zw. d,
Zw. d) Complex; Z may be E or $F$ conversion
Iw Decimal Integer
Aw Alphanumeric
Lw Logical
$\mathrm{nP} \quad$ Scaling factor

## Editing Codes

| $w \mathrm{X}$ | Intra-line spacing |
| :--- | :--- |
| wH | Heading and labeling |
| $/$ | Begin new record |

Both $w$ and d are unsigned integer constants; $w$ indicates the field width and d specifies the number of digits to the right of the decimal point within the field.

### 7.4.1 I (Integer) Conversion

Form: Iw
(1) Input: The input field w may contain only the characters + , -, 0 through 9, or blank. When a sign is included, it must precede the first digit in the field. Blanks are interpreted as zeros.

Input Examples:
$\operatorname{READ}(1,10) \mathrm{I}, \mathrm{J}, \mathrm{K}, \mathrm{L}, \mathrm{M}$
10 FORMAT (I3, I4, 2I3, I2)
Input Card:

I contains 123
J contains -15
K contains 101
L contains 2
M contains 30
(2) Output: The I conversion is used to output decimal integer values. In the output data field, digits are rightjustified.

Output Examples:
WRITE $(2,10) \mathrm{I}, \mathrm{J}, \mathrm{K}, \quad \mathrm{I}=-123$
10 FORMAT (3I5) J $=+5$

$$
K=+7942
$$

Output Record:

7.4. 2

F (Fixed - Point Decimal) Conversion
Form: Fw.d
(1) Input: The input field consists of an integer and a fraction subfield. A decimal point supplied by the input data overrides the decimal point indicated by d.

Examples:

| Input Field | Format | Converted <br> Values | Remarks |
| :--- | :--- | :---: | :--- |
| 127.394 | F7.3 | 127.394 | Integer and <br> fraction field |
| 127394 | F7.3 | 127.394 | No fraction <br> subfield. Input <br> converted as <br> $127394 \times 10^{-3}$ |

$1.27394 \quad$ F7.3 $1.27394 \quad$ Decimal point
(2) Output: On output, the corresponding list element must be in floating point. The number is output as a rightjustified decimal number in the field w. The field, w, must be large enough to allow for a sign, even if the number is positive. For numbers less than 1.0 the field must allow room for a leading zero and a decimal point.

Examples:
WRITE (2, 10) A A contains 127.394
10 FORMAT (F10.3)
RESULT: 127. 394

WRITE (2, 11) A
11 FORMAT (F8.3)
RESULT: 127. 394

WRITE: $(2,12)$ A A contains 127.394
12 FORMAT (F7.3)
RESULT: \$27.394 No provision made for the sign of the number, so $\$$ is printed followed by as many digits as possible. If number is negative, an equal sign precedes the digits printed.

### 7.4. 3 <br> E (Explicit Exponent) Conversion

Form Ew. d
(1) Input: An $E$ field specification consists of a decimal number, with or without a fractional subfield, and an exponent. The general form of the exponent is $\mathrm{E} \pm \mathrm{XX}$, where XX is the numeric exponent. Blanks appearing in the exponent field are ignored, therefore blanks may be deleted. If the sign of the exponent is omitted, it is considered to be positive; if the sign of the exponent is used, the E may be omitted.

Examples:
INPUT:
127394-3
12.7394El
1273.94E+01

As in $F$ conversion, if the data field being read contains a decimal point, the actual position of the decimal overrides d.
(2) Output: The output form of an $E$ conversion consists of a space for a sign followed by a mantissa and an exponent. The mantissa is a signed decimal fraction preceded by a blank and a decimal point; the exponential part consists of the letter E followed by a sign and a two digit exponent. If the exponent is positive, the sign is omitted and a blank space is printed.

For format scaling it is necessary to add seven to the number of digits in the field width, w, to format an E conversion correctly.

One space for sign of the number
One blank space

One space for decimal point
One space for letter E
One space for sign of exponent
Two spaces for exponent
The output number is right-justified when the field width is wider than necessary.

G (Generalized E or F) Conversion
Form: Gw.d
(1) Input: The G-conversion may be used in place of the $F$-conversion since the processing of the G- and F -conversion codes are identical. The incoming number is stored internally as if an E-conversion code had been used.
(2) Output: The G-conversion output is a real constant expressed without an exponent, as in $F$-conversion, if the number is between 1 and 10 inclusive. Otherwise, E-conversion is used.
$\underline{L(L o g i c a l) ~ C o n v e r s i o n ~}$
Form: Lw
(1) Input: On input, the L-conversion allows logical quantities to be entered (i.e., . TRUE. or . FALSE.). The first non-blank character of the input field must be either a $T$ (for. TRUE.) or an $F$ (for . FALSE.). If the T or F are not right-justified in the field, all other letters are ignored.

## A (ALPHANUMERIC) Conversion

Form: Aw
(1) Input: The A-conversion reads a list containing any allowable FORTRAN Characters. On the 810A, a word is filled with two 8 -bit characters. On the 840 A , a word is filled with four 6-bit characters. The input data is leftjustified in the word, and the remainder of the word is filled with blanks. (4 corrections).
(2) Output: If the I/O list element specifies an entire array (i.e., an array name without subscript) the characters specified are stored continuously starting at the first word of the array and upward until the entire alphamumeric string has been stored. When separate array elements are
specified, either by the use of an implied DO-loop or directly by specifying a particular element; each element requires a new FORMAT term.
(3) I/ O Example:
DIMENSION A(10)
INTEGER A
READ (ID, 10) A
-••
WRITE (OD, ll) A
STOP
810A
10 FORMAT (10A2)
11 FORMAT (1HC, 10A2)
840A
10 FORMAT (10A4)
11 FORMAT (1HC, 10A4)
where C is carriage control character $0,1,+$, or blank.
D (Double-precision) Conversion

Form: Dw.d
(1) Input: The basic form of $D$-conversion is the same as for real conversion, except that the data is stored in two words, instead of one word, for better accuracy.
(2) Output: The form of D-conversion of output is the same as the output of $E$-conversion except that a character D, replaces the character $E$ in the exponent.

Complex Conversion
Form: Ew. d, Ew.d
Ew. d, Fw.d
Fw. d, Ew.d Fw. d, Fw.d

Complex data consists of a pair of separate real data, the first of which supplies the real part of the complex number, the second supplies the imaginary portion of the complex number.

## EDITING SPECIFICATIONS

The following specifications are used for editing of input and output. When used with input, they allow the programmer some flexibility in preparing coding sheets. For output, they allow the labeling of the results, and also allow for the arrangement of the output quantities.
7.5.1

H (Hollerith) Conversion
Form: wH
(1) Input: This specification allows for the input of any set of characters, including blanks, in the form of comments, headings, and titles. When a Hollerith field is referenced by an input statement, the field is replaced by whatever characters appear in the field of the input record. When the same FORMAT statement is later referenced by an output statement, the new field of characters is transferred to the output record.

Example:
Source Program:
READ (1, 10)
10 FORMAT (22HXXXXXXXXXXXXXXXXXXXXXX)
Input Record:
INPUT RECORD
$\wedge$ THIS IS A NEW HEADING
$\longrightarrow$
A later call for the same FORMAT statement number: WRITE (2, 10) produces this output record: THIS IS A NEW HEADING.

Note that characters read by a Hollerith specification are used only for input/output. They may not be manipulated in any way.
(2) Output: On output the field width, w, specifies the number of characters to the right of $H$ that are transmitted. The first characters of each line is considered a carriage control character and does not print.

The comma following the H specification is optional.

Form: wX
(1) Input: The $X$ specification causes a column of the input record to be skipped.
(2) Output: The $X$ specification in an output field causes w spaces to be inserted in the output record.
lX may be written as $X$. The comma following the $X$ specification field is optional.

### 7.5.3 New Record

The slash, (/), signals the end of a record. Successive slashes may be used to skip lines, cards, or tape records.
7.6 nP SCALE FACTOR

To permit more general use of the D-, E-, F-, and Gconversion, a scale factor may be used. The scale factor for input is defined as follows: $10^{-s c a l e}$ factor x external quantity $=$ internal quantity. The scale factor for output is: external quantity $=$ internal quantity $\times 10^{\text {scale factor }}$.

For input, the scale factor has an effect only on $F$-conversion. When using D-, E-, or G-conversion with a scale factor on input, the value of the exponent is modified to compensate for the shift of the decimal point.

When using G-conversion for output, the scale factor is taken into consideration in the formula for determing whether F-or E-conversion is used. If F -conversion is used, the actual value of the number is changed when the decimal point is shifted, as if F -conversion had been originally specified. If E-conversion is used, because the value does not fit into the output field under F-conversion, the scale factor has the same effect as if E-conversion had been specified.

The general form of a scale factor is:
n PEw. d
n P F w . d
n P G w. d
n P D w . d
where n is a signed integer constant.
Examples of F w . d Scaling:
The input quantity 314.1593 read under the specification 2 PF 8.4 would produce the internal value of $314.1593 \times 10^{-2}=3.141593$.

## Output Examples:

## Specification

F8. 5
1PF8. 5
3PF8. 5

- 1PF8. 5

Examples of Ew. d Scaling
Specification
E15. 2
1PE15. 2
3PEl5. 2
-1PE15. 2

Output Representation
3. 14159
31.4159
3141.59
.314159

Output Representation
3. $14 \mathrm{E}+00$
31.42E-01
3141.59E-03
. $314 \mathrm{E}+01$

When no scale factor is present in a FORMAT statement, the scale factor is assumed to be zero. However, once a scale factor is given in a FORMAT statement, it applies to all following field specifications involving $D-$ E-, $\mathrm{F}-$, and G-conversion within the same FORMAT statement until a new scale factor is given. To reset the scale factor within a FORMAT statement, 0 P must be used.

Examples:
3PF8.4, A2, I5, 3PF5. 2
is equivalent to:
3PF8.4, A2, I5, F5. 2
If the field specification contains a repeat count, the scale factor precedes the repetition constant.

3P5F 8.4, A2, 0PF5.2, 2P3F6.0
7.7

REPEATED FORMAT SPECIFICATIONS
Any FORMAT specification except $X, H$, and $n P$ may be repeated by using an unsigned non-zero integer constant preceeding the field specification.

FORMAT (I7, I7, I7, F4.1, E6.3, E6.3, E6.3, E6.3, E6.3) is equivalent to:

FORMAT (3I7, F4.1, 5E6.3)

When a group of FORMAT specifications are repeated, as in:
FORMAT (I5, F6.2, I5, F6.2, I3, F5.0, F5.0)
using a repetition constant produces:
FORMAT (2(I5, F6. 2), I3, 2F5.0)
Multiple-Record Formats
On input, a slash (/) in a FORMAT statement causes a new record (i.e., card) to be read. If $n$ slashes are used, $n-1$ records are skipped.

Example:
READ (1, 10) A, B, C, D, E, F, G
10 FORMAT (3F8.2/F5.3, 3F6.2)
This FORMAT statement reads one card containing three fields of data that are stored in A, B, and C. The remainder of the card is not read; the next card contains four fields of data to be stored in D, E, F, and G. .

If the FORMAT statement reads:
10 FORMAT (3F8.2//F5.3, 3F6.2)
one entire record is skipped and D, E, F and G are read on the following record.
On output, n consecutive slashes in a FORMAT statement cause n-1 blank lines to be written, except when the slashes are unscanned. In that case, an additional blank line is printed.

In a multiple-record FORMAT statement, it is possible to specify that the first record has one format and that all following records have another format by enclosing the last record specification in parentheses.

Example:
FORMAT (5I5/ (3F10.2, 3E10.6))
When this FORMAT statement is executed, the first record is printed under control of the 5I5 field specification and all subsequent records are printed under control of the other two field specifications, until the output list is satisfied.
7.8

## VARIABLE FORMAT

FORMAT lists may be specified at the time of execution. The specification list including left and right parentheses, but not the statement number nor the word FORMAT, is read into a dimensioned array under control of an $A$ (Alphanumeric) field specification. The name of the array containing the specification may then be used in place of a FORMAT statement number.

Example:
Assume the following FORMAT specification:
(F10.2, I3, F6.0, F9.2)
This information is read:
DIMENSION INP(5)
$\operatorname{READ}(1,10)(\operatorname{INP}(\mathrm{I}), \mathrm{I}=1,5)$
10 FORMAT (5A4)
This input record places in storage the following elements:

```
INP : (Fl0
INP + 1 : . 2, I
INP + 2: 3, F6
INP + 3: .0, F
INP + 4: 9.2)
```

A subsequent output statement in the same program could refer to these format specifications as:

WRITE (2, INP) A, I, B, C
This would write $A, I, B, C$, in the following format:
F10.2, I3, F6.0, F9. 2
7.9

CARRIAGE CONTROL
The first character on every line of output is considered a carriage control indicator. Below is a list of carriage control indicators and their significance.

| Carriage Control <br> Indicator |  |
| :---: | :--- |
| blank | Significance |
| 0 | Souble space prior to printing current line. <br> 1 |
| Space to top of form prior to printing <br> current line. |  |
| + | Do not advance form prior to printing <br> current line. |

7.10.1 END FILE Statement
General Form
END FILE i
where:
i is an unsigned integer or integer variable specifying
the device code of a peripheral unit.

When addressing a magnetic tape unit, the END FILE statement causes an end-of-file record to be written on the designated tape unit.

If $i$ is an integer variable, it must be assigned a value corresponding to a peripheral unit prior to the execution of this statement.
7.10.2 REWIND Statement

General Form
REWIND i
where:
i is an unsigned integer variable specifying the
device code of a peripheral magnetic tape unit.

This statement is used to rewind to the beginning of the tape mounted on tape unit i. If i is an integer variable, it must be assigned a value corresponding to a peripheral tape unit prior to the execution of this statement.
7.10.3
BACKSPACE Statement

General Form
BACKSPACE i
where:
$i$ is an unsigned integer or integer variable specifying the
device code of a peripheral magnetic tape unit.
This statement causes the tape mounted on the magnetic tape unit i to move backward one logical record. If is an integer variable, it must be assigned a value corresponding to a peripheral tape unit prior to the execution of this statement.

CHARACTER CODES

| CHARACTER | CARD | ASR-33 | ASR-35 | ASCII | $\begin{aligned} & 1 \mathrm{BM}{ }^{\prime} \\ & \mathrm{BCD} \end{aligned}$ | CHARACTER | CARD | ASR-33 | ASR-35 | ASCII | $\begin{aligned} & \text { IBM. } \\ & B C D \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 260 | 060 | 60 | 12 | A | 12-1 | 301 | 101 | 01 | 61 |
| 1 | 1 | 261 | 261 | 61 | 01 | B | 12-2 | 302 | 102 | 02 | 62 |
| 2 | 2 | 262 | 262 | 62 | 02 | C | 12-3 | 303 | 303 | 03 | 63 |
| 3 | 3 | 263 | 063 | 63 | 03 | D | 12-4 | 304 | 104 | 04 | 64 |
| 4 | 4 | 264 | 264 | 64 | 04 | E | 12-5 | 305 | 305 | 05 | 65 |
| 5 | 5 | 265 | 065 | 65 | 05 | F | 12-6 | 306 | 306 | 06 | 66 |
| 6 | 6 | 266 | 066 | 66 | 06 | G | 12-7 | 307 | 107 | 07 | 67 |
| 7 | 7 | 267 | 267 | 67 | 07 | H | 12-8 | 310 | 110 | 10 | 70 |
| 8 | 8 | 270 | 270 | 70 | 10 | 1 | 12-9 | 311 | 311 | 11 | 71 |
| 9 | 9 | 271 | 271 | 71 | 11 | J | 11-1 | 312 | 312 | 12 | 41 |
| BLANK | BLANK | 240 | 240 | 40 | 20 | K | 11-2 | 313 | 113 | 13 | 42 |
| $=$ | 1-3 | 275 | 275 | 75 | 13 | L | 11-3 | 314 | 314 | 14 | 43 |
| , | 8-4 | 247 | 047 | 47 | 14 | M | 11-4 | 315 | 115 | 15 | 44 |
| + | 12 | 253 | 053 | 53 | 60 | $N$ | 11-5 | 316 | 116 | 16 | 45 |
| . | 12-8-3 | 256 | 056 | 56 | 73 | 0 | 11-6 | 317 | 317 | 17 | 46 |
| ) | 12-8-4 | 251 | 251 | 51 | 74 | P | 11-7 | 320 | 120 | 20 | 47 |
| - | 11 | 255 | 055 | 55 | 40 | Q | 11-8 | 321 | 321 | 21 | 50 |
| \$ | 11-8-3 | 244 | 044 | 44 | 53 | R | 11-9 | 322 | 322 | 22 | 51 |
| * | 11-8-4 | 252 | 252 | 52 | 54 | S | 0-2 | 323 | 123 | 23 | 22 |
| , | 0-8-3 | 254 | 254 | 54 | 33 | T | 0-3 | 324 | 324 | 24 | 23 |
| 1 | 0-8-4 | 250 | 050 | 50 | 34 | U | 0-4 | 325 | 125 | 25 | 24 |
| 1 | 0-1 | 257 | 257 | 57 | 21 | V | 0-5 | 326 | 126 | 26 | 25 |
|  |  |  |  |  |  | W | 0-6 | 327 | 327 | 27 | 26 |
|  |  |  |  |  |  | X | 0-7 | 330 | 330 | 30 | 27 |
|  |  |  |  |  |  | Y | 0-8 | 331 | 131 | 31 | 30 |
|  |  |  |  |  |  | Z | 0-9 | 332 | 132 | 32 | 31 |

## 840A FLOATING POINT QUANTITIES

SINGLE-PRECISION FLO tTING POINT DATA



DOUBLE-PRECISION FLOATING POINT DATA


INTEGER QUANTITIES
INTEGER DATA


DOUBLE-PRECISION FIXED POINT DATA



01
678
15
(REAL PART)


WORD 3

WORD 4
(IMAGINARY PART)
DOUBLE-PRECISION FLOATING POINT DATA


INTEGER QUANTITIES

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## APPENDIX C

LIBRARY FUNCTIONS

| FORM | MODE OF |  | DEFINITION |
| :---: | :---: | :---: | :---: |
|  | ARGUMENT | RESULT |  |
| ABS (X) <br> CABS (C) <br> DABS (D) <br> IABS (I) | REAL <br> INTEGER <br> DOUBLE <br> COMPLEX | REAL <br> INTEGER <br> DOUBLE <br> COMPLEX | Absolute Value \|ARG| |
| AIMAG (C) | COMPLEX | REAL | Obtain imaginary part of complex number |
| AINT (X) <br> INT (X) <br> IDINT (D) | $\begin{aligned} & \text { REAL } \\ & \text { REAL } \\ & \text { DOUBLE } \end{aligned}$ | REAL INT INT | Truncation <br> Sign of ARG Times <br> Largest integer $\leq\|A R G\|$ |
| $\begin{aligned} & \text { ALOG (X) } \\ & \text { DLOG (D) } \\ & \text { CLOG (C) } \end{aligned}$ | REAL DOUBLE COMPLEX | REAL DOUBLE COMPLEX | Natural Log <br> $\mathrm{LOG}_{\mathrm{e}}$ (ARG) |
| $\begin{aligned} & \text { ALOGIO (X) } \\ & \text { DLOGIO (D) } \end{aligned}$ | $\begin{aligned} & \text { REAL } \\ & \text { DOUBLE } \end{aligned}$ | $\begin{aligned} & \text { REAL } \\ & \text { DOUBLE } \end{aligned}$ | Common Log <br> $\mathrm{LOG}_{\mathrm{e}}$ (ARG) |
| $\begin{aligned} & \text { AMAXO }\left(\mathrm{I}_{1}, \mathrm{I}_{2}, \ldots\right) \\ & \text { AMAX1 }\left(\mathrm{X}_{1}, \mathrm{X}_{2}, \ldots\right) \\ & \text { MAXO }\left(\mathrm{I}_{1}, \mathrm{I}_{2}, \ldots\right) \\ & \text { MAX1 }\left(\mathrm{X}_{1}, \mathrm{X}_{2}, \ldots\right) \\ & \text { DMAX1 }\left(\mathrm{D}_{1}, \mathrm{D}_{2}, \ldots\right) \end{aligned}$ | INTEGER <br> REAL <br> INTEGER <br> REAL <br> DOUBLE | REAL <br> REAL <br> INTEGER <br> INTEGER <br> DOUBLE | Determine <br> Maximum <br> Argument |
| $\begin{aligned} & \text { AMINO ( } \left.\mathrm{I}_{1}, \mathrm{I}_{2}, \ldots\right) \\ & \text { AMIN } 1\left(\mathrm{X}_{1}, \mathrm{X}_{2}, \ldots \ldots\right) \\ & \text { MINO ( } \left.\mathrm{I}_{1}, \mathrm{I}_{2}, \ldots\right) \\ & \text { MIN1 ( } \left.\mathrm{X}_{1}, \mathrm{X}_{2}, \ldots .\right) \\ & \text { PNIN 1 } \mathrm{D}_{1}, \mathrm{D}_{2}, \ldots \text { ) } \end{aligned}$ | IN TEGER <br> REAL <br> INTEGER <br> REAL <br> DOUBLE | REAL <br> REAL <br> INTEGER <br> IN TEGER <br> DOUBLE | Determine Minimum Argument |
| $\begin{aligned} & \operatorname{AMOD}\left(X_{1}, X_{2}\right) \\ & \operatorname{MOD}\left(I_{1}, I_{2}\right) \end{aligned}$ | REAL <br> IN TEGER | REAL <br> INTEGER | Remaindering $\mathrm{ARG}_{1}-\left(\mathrm{ARG}_{1} / \mathrm{ARG}_{2}\right)$ <br> $A R G 2$, where ( $X$ ) is the integral part of $X$. |
| $\begin{aligned} & \text { ATAN (X) } \\ & \text { DATAN (D) } \\ & \text { ATAN2 }\left(\mathrm{X}_{1}, \mathrm{X}_{2}\right) \\ & \text { DATAN2 }\left(\mathrm{D}_{1}, \mathrm{D}_{2}\right) \end{aligned}$ | REAL <br> DOUBLE <br> REAL <br> DOUBLE | REAL <br> DOUBLE <br> REAL <br> DOUBLE | Arctangent (ARG) <br> Arctangent (ARG1/ARG2) |
| $\operatorname{CMPLX}\left(\mathrm{X}_{1}, \mathrm{X}_{2}\right)$ | REAL | COMPLEX | Form complex number $\mathrm{x}_{1}+\mathrm{x}_{2} \quad \sqrt{-1}$ |


| FORM | MODE OF |  | DEFINITION |
| :--- | :--- | :--- | :--- |

## APPENDIX D

TRACE

There are two types of TRACE statements available. The first is used for tracing only selected variables, and the second is used for tracing all variables within a specified area.

NOTE: If sense switch 4 is on, no TRACE is executed.

## 1. Item Tracing

The TRACE statement used for item tracing specifies a list of variables and/or array names. The format is:

$$
\operatorname{TRACE} \mathrm{X}_{1}, \mathrm{X}_{2}, \mathrm{X}_{3}, \ldots \mathrm{X}_{\mathrm{n}}
$$

where $X$ is any variable or array name. Whenever any of the se variables or array elements becomes redefined by an arithmetic expression, coding is inserted into the object program by the TRACE routine which causes a line of TRACE information to be typed. A description of the output format appears in paragraph (4). A TRACE statement of this type may be placed anywhere in the source program. As many TRACE statements as desired may be included in the program.

## 2. Area Tracing

The TRACE statement used for area tracing specifies a single statement number. The format is:

TRACE n
where n is any statement number not yet defined. This type of TRACE statement inserts coding into the object program which causes the results of all arithmetic expressions (including IF statements) that follow the TRACE statement inclusive to statement $n$, to output a line of TRACE information as described in paragraph 4. This group of statements is called the TRACE Range. In addition to tracing all arithmetic and IF statements within the TRACE Range, all statement numbers within this range are also output as a line of TRACE information.

An area TRACE statement should not be placed within the TRACE Range of another area statement unless all such TRACE statements refer to the same statement number.

## 3. Unconditional TRACE

If a TRACE of the entire source program is required, the format:

TRACE 99999
traces all arithmetic statements, IF statements, and statement numbers at run time.

## 4. TRACE Listing Format

At execution time of the object program, any TRACE coding inserted by the compiler causes a line to be typed consisting of a variable name, an array name, or a statement number, followed by an equal sign, followed by the current decimal value just assigned to that name. The decimal value is typed in either integer, floating point or complex format. Array names are followed by a subscript indicating the element within the array first modified, as if it were a single dimensioned variable. (For converting double and triple dimensions to single. See Section 3.4.)

## 5. Sample TRACE Program

DIMENSION A $(3,3)$
TRACE Y, A
$\mathrm{X}=3.24$
$Y=X+1.5$
$\mathrm{Z}=\mathrm{Y} * * 2$
DO $48 \mathrm{I}=1,3$
$A(I, 2)=Y / 2.0$
$48 \quad \mathrm{Y}=\mathrm{Y}+1.0$
$\mathrm{X}=0.0$
$\mathrm{K}=2$
TRACE 62
$50 \quad \mathrm{X}=\mathrm{X}+1.0$
IF ( $\mathrm{X}-3.0$ ) 51, 53, 53
$51 \mathrm{~K}=\mathrm{K} * \mathrm{~K}$
GO TO 50
53. IF (X. LE Y) $\mathrm{X}=\mathrm{X}+100.0$
$63 \quad \mathrm{X}=\mathrm{X}-1.0$
$Z=2.0 * X$
$Y=0.0$

The output generated by this program would appear as:

```
Y = 60.4740000000E601
A (4) = 60.2370000000E601
X = 60.5740000000E601
A (5) = 60.2870000000E601
Y = 60.6740000000E601
A (6) = 60.3370000000E601
Y = 60.7740000000E601
(50)
X = 60.1000000000E601
(IF) = -0.2000000000E601
(51)
K =-6b-4
(50)
X = 60.2000000000E601
(IF) = -0.1000000000E601
(51)
K
(50)
X = 60.3000000000E601
(IF) = 60.0000000000E600
(53)
(IF) = - 6b - - 1
X = 60.1030000000E603
(62) =
X = 60.1020000000E603
Y = 60.0000000000E600
```


## APPENDIX E

## CHAINING

The CHAINING feature of SEL 810A/840A FORTRAN IV allows a FORTRAN object program that is too large to fit into the available memory space to be divided into segments. Each segment is run separately and intersegment communication of data is done through COMMON storage.

Control is transferred from link-to-link by means of the statement "CALL CHAIN", which is the last executable statement of each link.

All blank or labeled COMMON areas used for communication between segments of the chain must be declared with a COMMON statement at the beginning of each segment. The declaration order and size of each area must agree in each chain segment.

## Chain Program Example

## C LINK NO. 1

COMMON A, B

WRITE (4, 1)
1 FORMAT (15H THIS IS LINK 1)
$A=2 . * B$

CALL CHAIN

END
\$

C LINK NO. 2

COMMON X, Y
WRITE (4, I)

1 FORMAT (15H THIS IS LINK 2)
$Y=2 . * X$

CALL CHAIN

END

C LINKNO. 3
COMMON E, F
WRITE $(4,1)$
1 FORMAT (15H THIS IS LINK 3)
$E=2 . * F$
STOP
END

## APPENDIX $F$

## OPERATOR COMMUNICATIONS

## FORTRAN IV Diagnostics for 840A

More than 50 different error diagnostics can be indicated. They will appear on the line following a FORTRAN statement in which an error has occurred, for example; ..... ERROR DETECTED AT COLUMN.

The following list contains the different diagnostic codes and
their meaning.

| CODE |  | ROUTINE | MEANING |
| :--- | :--- | :--- | :--- |
| ADDR |  |  |  |
| ADJD |  | SC01 |  |
| AMOD |  |  | ILLEGEAL ADDRESS CONSTRUCTION <br> ILLEGAL MODE FOR ADDRESS (MUST BE <br> INTEGER) |
| ASOV | $*$ | AS03 |  |
| ASTO |  | X301 |  |
| ASSIGNMENT TABLE OVERFLOW |  |  |  |
| ASSIGN TO SPELLING ERROR |  |  |  |


| CODE |  | ROUTINE | MEANING |
| :---: | :---: | :---: | :---: |
| IDOL | * | V516 | IMPROPER IMPLIED DO LOOP |
| $\mathrm{IF}(2$ | * | V307 | IF (ITEM HAS OVER 6 CHARACTERS |
| ILBD | * | R301 | ILLEGAL BLOCK DATA STATEMENT |
| ILEG | * | A900 | NOT LEGAL FORTRAN STATEMENT |
| ILIF |  |  | ILLEGAL LOGICAL IF CONSTRUCTION |
| ILSN | * | IS04 | ILLEGAL STATEMENT NUMBER |
| INDT |  |  | DATA CONSTRUCTION ERROR |
| IUSE |  | NU00 | INCORRECT USAGE |
| LDOP | * | EX79 | IMPROPER LEADING OPERATOR |
| MODE | * | OMZ5 | MODE MIXING ERROR |
| MULT |  | NP02 | MULTIPLE DEFINED ITEM |
| NAME |  |  | CONSTANT ILLEGALLY USED |
| NARR |  | AT00 | ITEM NOT AN ARRAY |
| NCBS |  | C315 | NEGATIVE COMMON BASE |
| NEXT | * | C604 | IMPROPER DO NEST |
| NINT |  | IT00 | ITEM NOT AN INTEGER |
| NNAM |  | NCOO | ILLEGAL USE OF CONSTANT |
| NOIM |  |  | OPERAND MISSING |
| NOIT |  |  | MUST HAVE INTEGER TYPE |
| NPTH |  | V219 | NO FORMAT STATEMENT NUMBER |
| NOC |  |  | ILLEGAL USE OF SUBROUTINE OR ARRAY NAME |
| OPER | * | EX25 | UNACCEPTABLE OPERATOR |
| OPOS | * | EX60 | OPERATOR NOT ALLOWED AT THIS POSITION |
| PATH |  | NP06 | PATH CANNOT EXECUTE THIS STATEMENT |
| RLOP | * | EX70 | TWO RELATIONAL OPERATORS IN A ROW |
| SBIG | * | DN57 | DIGIT STRING TOO LARGE |
| SBSC |  | IL01 | WRONG NUMBER OF SUBSCRIPTS |
| SPEC | * | NP00 | STATEMENT CLASS OUT OF ORDER |
| SPEL |  | A903 | FORTRAN STATEMENT MISSPELLED |
| STNO | * | C702 | STATEMENT NO. CONSTRUCTION |
| TAG |  |  | ILLEGAL INDEX CONSTRUCTION |
| TYPE | * | A30 4 | IMPROPER USE OF TYPE STATEMENT |
| TMDT |  |  | TOO MUCH DATA |


| CODE |  | ROUTINE |  |
| :--- | :--- | :--- | :--- |
| V/SP MEANING |  |  |  |
| XARG |  | NS01 |  |
| ILLEGAL USE OF SUBPROGRAM NAME |  |  |  |
| IERR | $*$ |  | TS01 |

*IRRECOVERABLE ERROR. ENTIRE RECORD IS IGNORED.
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## APPENDIX G

## IN-LINE CODING

To provide additional flexibility in the SEL 810A and 840A FORTRAN systems, MNEMBLER code may be interspersed with FORTRAN statements. Permissable operation codes are listed at the end of this Appendix.

The location field is either blank or may contain only a FORTRAN statement number. The statement number may appear anywhere within columns l-5.

The operation code appears in columns 7-9.
The variable field may consist of:
(1) FORTRAN names - variables, array names, function names.
(2) FORTRAN constants - (interpreted as literal constants).
(3) FORTRAN statement numbers preceded by the character ' $)$ '.

At least one blank character must separate the operation code field and the variable field. If column 10 is an asterisk, indirect addressing is indicated.

The index field may use only constants of one, two, or three and is separated from the address portion of the instruction by a comma.

NOTE: If a dummy variable or array is addressed, the indirect bit in the instruction is set by using an MEA instruction, (note, if also column 10 contains an asterisk (*), the MEA command negates the indirect bit).

The following operation codes are the only allowable assembly
language.
NOTE: Instructions with an asterisk cannot be done on the 810A.

ARITHMETIC:

| AMA (05) | - | ADD (M) TO (A) RESULT IN A |
| :--- | :--- | :--- |
| SMA (06) | - | SUBTRACT (M) FROM (A) |
| AAM (31) | - | ADD (A) TO (M) RESULT IN M |
| MPY (07) | - | MULTIPLY |
| DIV (10) | - | DIVIDE |

LOAD:

| LAA (01) | - | (M) TO A |
| :--- | :--- | :--- |
| LBA (02) | - | (M) TO B |

STORE:

$$
\text { STA (03) } \quad-\quad \text { (A) TO M }
$$

$$
\operatorname{STB}(04) \quad-\quad \text { (B) } \mathrm{TO} \mathrm{M}
$$

LOGICAL:

```
*MAA (27) - (M) AND (A)
*MEA (26) - (M) EXCLUSIVE OR (A)
*MOA (30) - (M) OR (A)
```


## BRANCH:

BRU (11) - BRANCH TO M
*BAZ (22) - BRANCH IF (A) $=0$
*BAP (24) - BRANCH IF (A) POSITIVE
*BAN (23) - BRANCH IF (A) NEGATIVE
SPB (12) - STORE PLACE AND BRANCH
INDEX:

```
*LIX (32) - (M) TO X
```


[^0]:    * The function $\operatorname{MOD}\left(\right.$ ARG $_{1}$, ARG $\left._{2}\right)$ is defined as ARG $_{1}-\left[\right.$ ARG $_{1} /$ ARG $\left._{2}\right]$ ARG $_{2}$, where $[x]$ is the integral part of $x$.

